

PROBLEM: The topic of differentiation is important in the study of calculus. The leftmost figure shows a function f that represents the path of an object that is thrown in the air. The height H can be determined for any time T. The first derivative of f gives the middle figure. The line gives the velocity V of the object at any time T. The second derivative of f gives rightmost graph. The line represents the acceleration A at any time T. That is the constant force of gravity, -32 ft/sec<sup>2</sup>, acting on the object. This is just one of many examples of how the derivative is used.

The rules for finding F', the first derivative, are as follows:

- 1. If F(X) = C where C is a constant then F' (X) = 0
- 2. If  $F(X) = X^{N}$  where N is any nonzero real number, then F'(X) = NX<sup>N-1</sup>.
- 3. If  $F(X) = AX^{N}$  where A and N are any nonzero real numbers then F'  $(X) = ANX^{N-1}$ .
- 4. The derivative of a sum is the sum of the derivatives of the terms.
- 5. To find F", the second derivative, apply the rules above to the first derivative.

INPUT: There will be 5 input lines. Each input will be a string representing a function. The  $^{\circ}$  symbol will be used to show exponentiation. Fractional coefficients and exponents will be in X/Y form. Fractional exponents will be in parentheses.

OUTPUT: For each input print the first derivative and the second derivative. Note that coefficients of 1 and -1 are not allowed as in SAMPLE OUTPUT #10. Also only one sign is allowed between terms, that is 2X + -6 is incorrect. Further, only fractional exponents will be in parentheses. Decimal coefficients and exponents are not allowed. All fractions must be reduced.

SAMPLE OUTPUT

## SAMPLE INPUT

## 1. 81. 02. 02. $X^{5}$ 3. $5X^{4}$ 4. $20X^{3}$ 3. $5X^{4}$ 5. $20X^{3}$ 6. $60X^{2}$ 4. $3X^{2} - 5X + 8$ 7. 6X - 58. 65. $4X^{(1/2)}$ 9. $2X^{(-1/2)}$ 10. $-X^{(-3/2)}$